

# Chapter 31

## Phonological theory and computational modelling

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Phonology Reading Group HT24 Week 4

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# Timeline

- Evolvement of computational modelling: practical implementation -> active part of phonological theory
- General Questions:
  - How does computational modelling develop along with the development of phonological theory?
  - In turn, how does computational modelling contribute to modern phonological theory?

Generative Grammar (SPE, 1968)    Autosegmental Phonology (1970s)    Optimality Theory (1990s)    Stochastic Phonology (2000s) ...

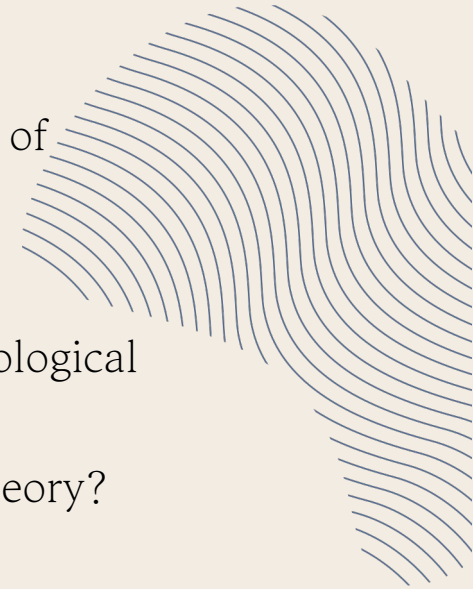


Finite-state models

Linear -----> Non-linear

Rule-based -----> Constraint-based

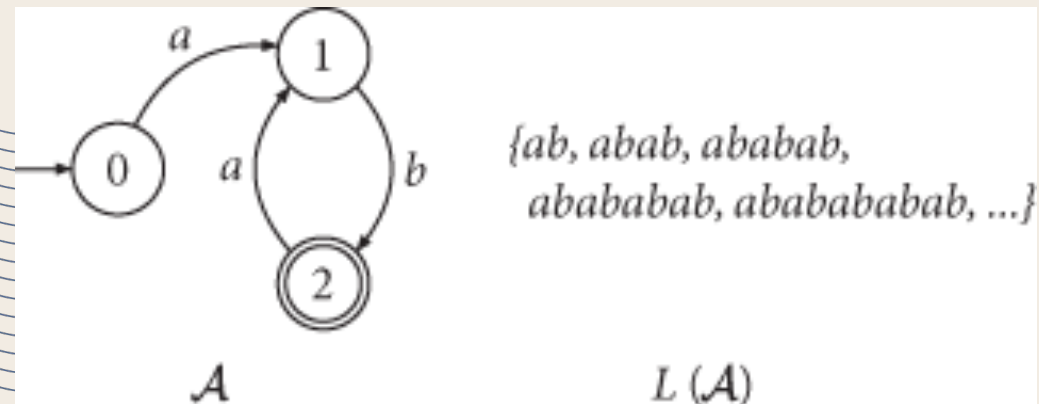
A probabilistic notion



## Automata theory

- Two finite-state models:  
Finite-State Acceptor (FSA) & Finite-State Transducer (FST)
- Motivation: to define a model that can provide a finite description of the infinite set of well-formed strings in a language

Chomsky (1956): Use FSA to describe sets of strings  $\rightarrow$  finite-state/regular languages

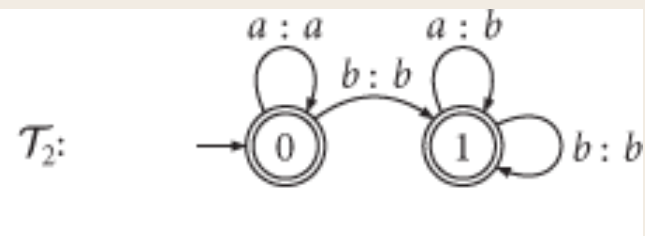
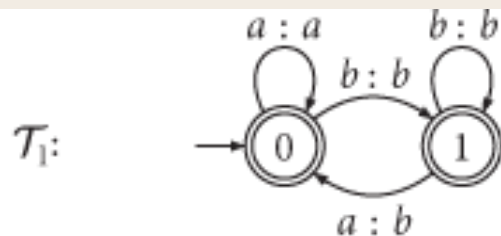


## Finite-state models

Johnson (1972): use FST to describe relations between strings  $\rightarrow$  finite-state/regular relations

Equivalent to SPE rewrite rule formalism

e.g.  $a \rightarrow b / b \_$  (simultaneous & iterative)



$R(\mathcal{T}_1)$ :  $\{(baba, bbbb), (baaa, bbaa), \dots\}$      $R(\mathcal{T}_2)$ :  $\{(baba, bbbb), (baaa, bbbb), \dots\}$

Input:     $b \quad a \quad a \quad a$   
 State:     $0 \rightarrow 1 \rightarrow 0 \rightarrow 0 \rightarrow 0$   
 Output:     $b \quad b \quad a \quad a$

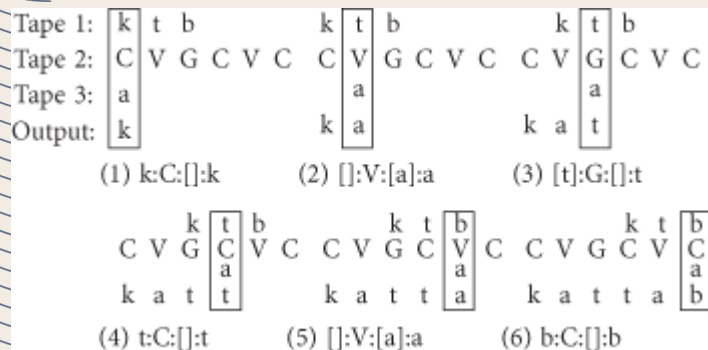
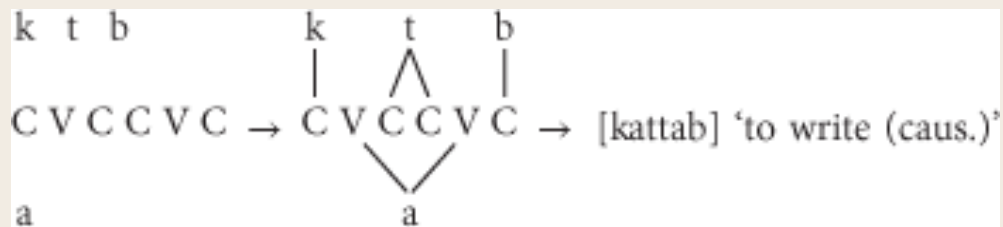
Input:     $b \quad a \quad a \quad a$   
 State:     $0 \rightarrow 1 \rightarrow 1 \rightarrow 1 \rightarrow 1$   
 Output:     $b \quad b \quad b \quad b$

## Non-linear phonology

Question: How could non-linear representations be modelled in a finite-state (linear) framework?

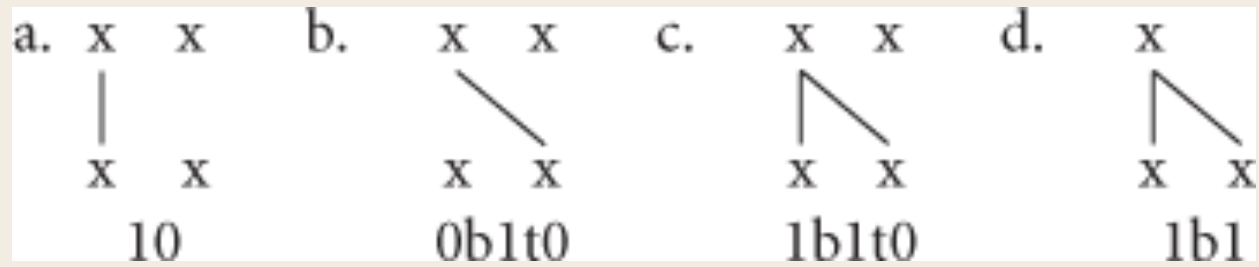
Approach: Linearisation -> find a way to translate non-linear representations into a linear coding

- Kay 1987 (Arabic morphology)



## Non-linear phonology

- Kornai 1995 scanning code



# Optimality Theory

Question: How could constraint-based grammar be modelled in a finite-state framework?

Why is OT > FST a problem?

1. OT can generate non-regular relations -> beyond the power of finite-state
2. OT evaluates strings globally

Approach: constrict non-regular relations; limit OT grammars to local evaluation

# Optimality Theory

Ellison (1994) relied on three assumptions:

- 1) All constraints are binary (convert non-binary constraints into local binary ones);
- 2) The candidate set produced by GEN is a regular language;
- 3) The constraints can be modelled with regular relations.

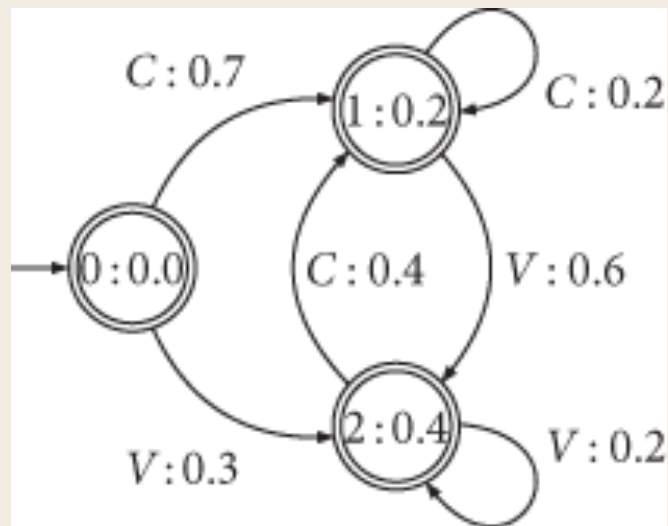


## Probabilistic models

Model gradient phonological generalisations

Approach: add numerical values or weights to the structures

- Weighed FSA ( Mohri et al., 1996)



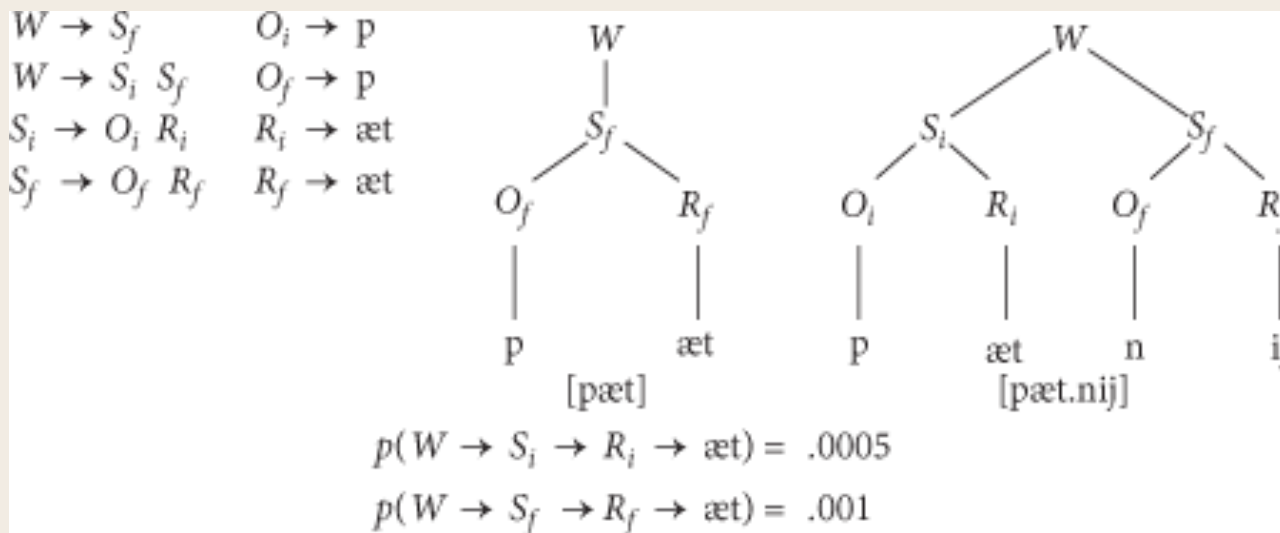
$$\text{CVCV: } 0.7 * 0.6 * 0.4 * 0.6 * 0.4 = 0.040$$

$$\text{CVCC: } 0.7 * 0.6 * 0.4 * 0.2 * 0.2 = 0.006$$



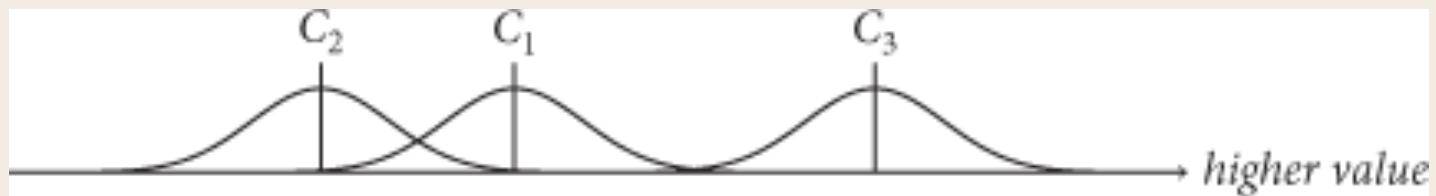
## Probabilistic models

- Weighed context-free grammars (WCFGs) (Coleman & Pierrehumbert, 1997): describe hierarchical syllable structures



## Probabilistic models in OT

- Stochastic ranking model for Boersma's Gradual Learning Algorithm:  
adjust the values of constraints
- ->model optionality in native speaker's grammar



## Computational nature of phonological patterns

- Lead to better understanding of phonological theory
- Autosegmental representations
- OT

